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To solve a quadratic equation means to find the roots.
*Remember roots are the same thing as $x$-intercepts, zeros, or solutions!
Ultimately, you have to factor the quadratic expression to find the solutions.
Factoring quadratics that are in standard form ( $A x^{2}+B x+C=0$ ) can be broken up into specific steps.

Step 1: Make a product/sum table Example:
$2 x^{2}-11 x+5$

| $P=1^{\text {st }}$ term $\times 3^{\text {rd }}$ term | $S=2^{\text {nd }}+$ term |
| :---: | :---: |
| $\frac{P=10}{5,2}$ | $\frac{S=-11}{7}$ |
| $-5,-2$ | -7 |
| 10,1 | 11 |
| $-10,-1$ | -11 |

Step 2: Put selected factors in the sets. $(x-10)(x-1)$
Step 3: Put each factor over the $1^{\text {st }}$ coefficient. Simplify and reduce.

$$
\left(x-\frac{10)(x-1)}{2}=(x-5)\left(x-\frac{1}{2}\right)\right.
$$

Step 4: If the number reduces evenly you're done. If not, take the denominator of the fraction that doesn't become a whole number and swing it up to become the $x$ coefficient. Factors: $(x-5)(2 x-1)$

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Sometimes quadratics don't factor perfectly into whole numbers. When this happens, you must use the Quadratic Formula to solve for the roots.

## Quadratics Formula

$$
x=\frac{-b \pm \sqrt{b^{2}-4 a c}}{2 a}
$$

Example: Find the solutions for " $x$ " in the equation $3 x^{2}=2 x+1$.

- First, put the equation in standard form.

$$
\text { and simplify........ } x=\frac{2 \pm \sqrt{4-(-12)}}{6}
$$

$$
3 x^{2}-2 x-1=0
$$

- Second, state the values of $a, b, a n d c$.

$$
a=3, b=-2, c=-1
$$

$$
x=\frac{2 \pm \sqrt{16}}{6}
$$

- Then, substitute the values of $a, b, a n d ~ c$ into the formula:


$$
\begin{aligned}
& x=\frac{2+4}{6}=\frac{6}{6}=1 \\
& x=\frac{2-4}{6}=\frac{-2}{6}=-\frac{1}{3}
\end{aligned}
$$

The solutions to this quadratic equation are $(1,0)$ and $(-1 / 3,0)$

