$\qquad$
Notes
Date $\qquad$ Period $\qquad$

All the linear situations you have explored so far have involved rates. You have found that the rate affects the following things:

- the steepness of the graph.
- the coefficient, $m$, of $x$ in the equation $y=m x+b$.
- the amount the $y$ values in the table change for each unit change in the $x$ values.

All of these things are related to the slope of the line.
Climbing stairs is good exercise. Some athletes run up and down stairs as part of their training. The steepness of stairs determines how difficult they are to climb. Stairs that are very steep are more difficult to climb than stairs that rise gradually. Examining the steepness of stairs can help you understand the idea of steepness, or slope, of a line.

The steepness of stairs is determined by the ratio of vertical change to horizontal change for each step.


If you choose two points on a line, you can draw a line through both points.


The steepness of the line is the ratio of vertical change to horizontal change. This is the slope of the line.

Slope - Day 1
Name $\qquad$
Notes
Date $\qquad$ Period $\qquad$

$$
\text { Slope }=\frac{\text { vertical change }}{\text { horizontal change }}
$$

To determine the slope of a line, you need to consider the direction, or sign, of the vertical and horizontal change from one point to another. If only one of these changes is negative, the slope will be negative.

Line with Positive Slope
change of 2


Positive slopes:

- slants upward from left to the right
- vertical and horizontal values are both positive

Line with Negative Slope


Negative slopes:

- slants downward from left to right
- either the vertical or horizontal value is negative

Make a table of $x$ and $y$ values for each equation. Then graph the equation and choose two points on the line to compute the ratio for the vertical and horizontal change, which will determine the slope of the line.

1. $y=2 x$

| $x$ | $y$ |
| :---: | :---: |
|  |  |
|  |  |
|  |  |
|  |  |



Slope $\qquad$

Slope - Day 1
Notes
2. $y=5+2 x$



Slope $\qquad$
3. $3 x+y=0$



Slope $\qquad$
4. $y=\frac{1}{2} x+2$

| $x$ | $y$ |
| :---: | :---: |
|  |  |
|  |  |
|  |  |
|  |  |



Slope

Slope - Day 1
Notes

Name $\qquad$
Date $\qquad$ Period $\qquad$
5. $y=2-x$


Slope $\qquad$
6. How is the slope you computed in problems 1-5 related to the table of values for the line? How is it related to the equation for the line?
7. Use the ideas you learned about slope and about vertical and horizontal change to explain why the line for $y=3 x$ is steeper than the line for $y=x$.


