

Name _____

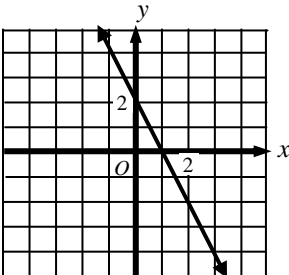
Date _____

Reporting Category 3 Notes (A.5.C.)

Linear Function Equations

Standard Form	$Ax + By = C$ Example: $2x + y = 2$	In standard form the x and the y are on the same side. A, B, and C are all integers.
Slope-intercept Form	$Y = mx + b$ Example: $Y = -2x + 2$	Slope-intercept forms means the equation is solved for y (meaning y is by itself). M is the slope; B is the y-intercept
Point-Slope Form	$y - y_1 = m(x - x_1)$ Example: $Y + 2 = -2(x - 2)$	Point-slope form give the point (x_1, y_1) and the slope, m.

There are many ways to represent a linear function including a table, graph, ordered pairs, verbal description, or an equation like the ones described above.

Graph		A linear equation is any equation that makes a straight line.										
Table	<table border="1" data-bbox="667 1329 954 1539"> <thead> <tr> <th>x</th> <th>y</th> </tr> </thead> <tbody> <tr> <td>-3</td> <td>-2</td> </tr> <tr> <td>-1</td> <td>2</td> </tr> <tr> <td>1</td> <td>6</td> </tr> <tr> <td>3</td> <td>10</td> </tr> </tbody> </table>	x	y	-3	-2	-1	2	1	6	3	10	A table shows the x and y values in a list form.
x	y											
-3	-2											
-1	2											
1	6											
3	10											
Ordered Pairs	$\{(-3, -2), (-1, 2), (1, 6), (3, 10)\}$	Ordered pairs are listed in pairs as (x, y) .										
Verbal Description	For every dollar that Jim raised for the fundraiser, Sara raised 4 dollars.	A verbal description is written usually as an example of a real-life scenario.										

Name _____

Date _____

Reporting Category 3 Notes (A.5.C.)

Graphing Linear Functions

To graph a linear function, the equation first needs to be in the form of $y = mx + b$ (slope-intercept form). To transform an equation into slope intercept form, follow the steps below.

Solve for y in the following equation: $4x - 2y = 12$. (Solving for y means to get y by itself).

$$\begin{array}{r|l}
 4x - 2y = 8 & \\
 -4x & -4x \\
 \hline
 -2y = -4x + 8 & \\
 -2 & -2 \quad -2 \\
 \hline
 y = 2x - 4 &
 \end{array}$$

Step 1: We start by moving the "x" term to the other side of the equation by either adding or subtracting (opposite operation)

Step 2: Bring down what's left on each side. Do not combine!!

Step 3: Divide EVERYTHING by the number in front of y

The equation solved for y is $y = 2x - 4$

Now we can graph the equation. We identify the M and the B first from the equation.

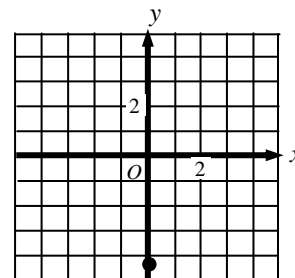
$$Y = 2x - 4$$

B

M is the slope and has to be written as a fraction. (2) or $Y = Mx +$

B is the y -intercept. (-4)

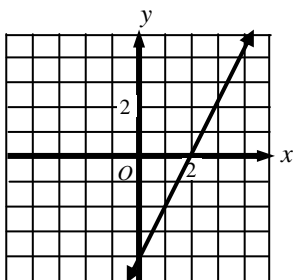
We *Begin* with the B . (-4) We plot (-4) on the y axis first.



Then we *Move* using the slope M . ($\frac{2}{1}$) This is the ($\frac{\text{rise}}{\text{run}}$).

The rise moves up or down. The run moves left or right.

Since the slope is ($\frac{2}{1}$) we move up 2 and over 1.



The graph at right shows the linear equation graphed.